### <u>CSCE 463/612</u> <u>Networks and Distributed Processing</u> <u>Fall 2024</u>

#### **Transport Layer VI**

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#### Chapter 3: Roadmap

- 3.1 Transport-layer services
- 3.2 Multiplexing and demultiplexing
- 3.3 Connectionless transport: UDP
- 3.4 Principles of reliable data transfer
- 3.5 Connection-oriented transport: TCP
  - Segment structure
  - Reliable data transfer
  - Flow control
  - Connection management

3.6 Principles of congestion control3.7 TCP congestion control

# TCP Throughput

- What's the average throughout of TCP as a function of max window size W and RTT?
  - Ignore slow start and assume perfect AIMD (no timeouts)

W/2

- Let W be the window size when loss occurs
  - At that time, throughput is W\*MSS/RTT
  - Just after loss, window drops to W/2, throughput is halved
- Average rate:

$$r_{av} = \frac{3}{4} \times \frac{W \times MSS}{RTT} = \frac{W_{av} \times MSS}{RTT}$$

W



- <u>Example</u>: 1500-byte segments, 100 ms RTT, want 10 Gbps average throughput  $r_{av}$ 
  - Requires max window size W = 111,111 in-flight segments, 166 MB of buffer space ( $W_{av} = 83,333$  packets)
  - But there are bigger issues as discussed below
- Next: derive average throughput in terms of loss rate
  - Assume packet loss probability is *p*
  - Roughly one packet lost for every 1/p sent packets
- <u>Step 1</u>: derive the number of packets transmitted in one oscillation cycle



- Examine time in terms of RTT units
  - At each step, window increases by 1 packet
- The number of packets sent between two losses:

$$sent = \frac{W}{2} + \left(\frac{W}{2} + 1\right) + \left(\frac{W}{2} + 2\right) + \ldots + W$$

• Combining W/2 terms, we have:

$$sent = \frac{W}{2} \left( \frac{W}{2} + 1 \right) + \sum_{i=1}^{W/2} e^{i \theta_i t}$$



• Thus we arrive at:

$$sent = \frac{3}{8}W^2 + \frac{3}{4}W$$

• Step 2: now notice that this number equals 1/p

- Ignoring the linear term, we approximately get:

$$\frac{1}{p} \approx \frac{3}{8}W^2$$
$$W = \sqrt{\frac{8}{3p}}$$

• In other words:



• <u>Step 3</u>: writing in terms of average rate:

$$r_{av} = \frac{W_{av} \times MSS}{RTT} = \frac{\frac{3}{4}W \times MSS}{RTT} = \frac{\frac{3}{4}\sqrt{\frac{8}{3p}} \times MSS}{RTT}$$

• Simplifying:

$$r_{av} = \frac{\sqrt{3/2} \times MSS}{RTT\sqrt{p}} \approx \frac{1.22 \times MSS}{RTT\sqrt{p}}$$

- This is the famous formula of AIMD throughput
  - <u>Note</u>: homework #3 does not use congestion control and its rate is a different function of p

### **TCP Model (Discussion)**



- <u>Example</u>: What is the required packet loss for 100-ms RTT, 1500-byte MSS, and 10 Gbps average rate?
  - Turns out,  $p = 2.1 \times 10^{-10}$ , which is almost impossible (even in wired networks corruption occurs more frequently)
  - Backbone loss  $p = 10^{-4}$  (and even  $10^{-3}$ ) is considered great
- <u>Example</u>: In AIMD, how long does it take for TCP to go from 5 Gbps to 10 Gbps?
  - Window must grow from 41,666 pkts to 83,333
  - TCP needs (83,333 41,666) RTTs to close this gap
  - This is 4,166 seconds = 1 hour 9 minutes
- Over long-distance links (RTT > 50 ms), AIMD typically maxes out around 200 Mbps

#### **TCP Future**

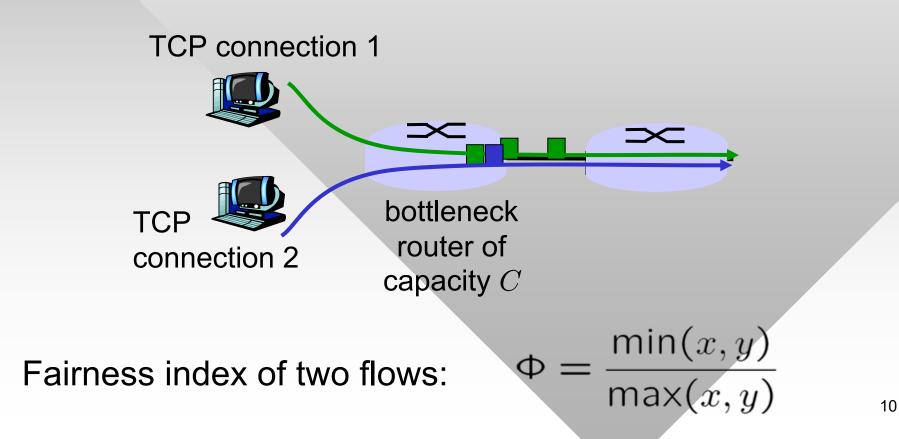
- TCP is slow, but what if most transfers are short?
  - How long before TCP reaches 10 Gbps in slow start?
- <u>Idea</u>: starting at W = 1 we need to hit W = 83,333 pkts, doubling the window each RTT
- The time needed to reach full capacity is  $ceil(log_2(83333))^*RTT = 1.7$  seconds (17 steps)!
- How much data can we squeeze in slow start?

pkts sent =  $1 + 2 + 4 + 8 + ... + 2^{17} = 2^{18} - 1$ 

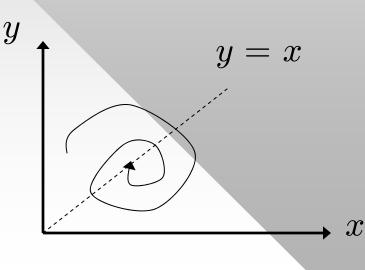
- Total data transmitted (pkt size 1500)  $\approx 393~\mathrm{MB}$ 
  - <u>Conclusion</u>: short connects are fine with original TCP



Fairness goal: if *K* TCP sessions share same bottleneck link of bandwidth *C*, each should have average rate of C/K

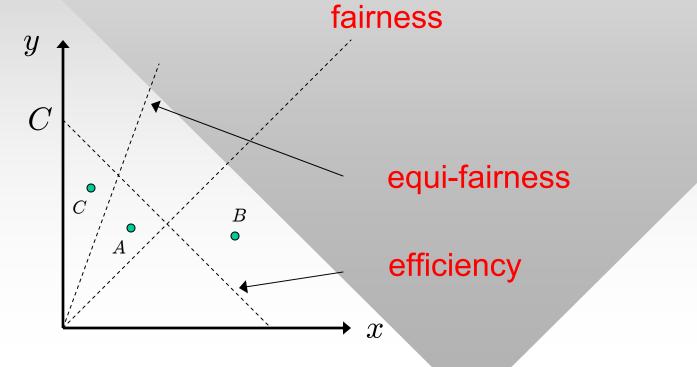


- Fairness index = 1 is ideal since the rates are equal
- Fairness index = 0 means maximally unfair conditions
- Analysis using the system trajectory plot
  - Trajectory follows rates of flows x and y on a 2D plane
  - The plot connects points (x(t), y(t)), where t is time in RTT steps, x(t) and y(t) are the rates of the two flows



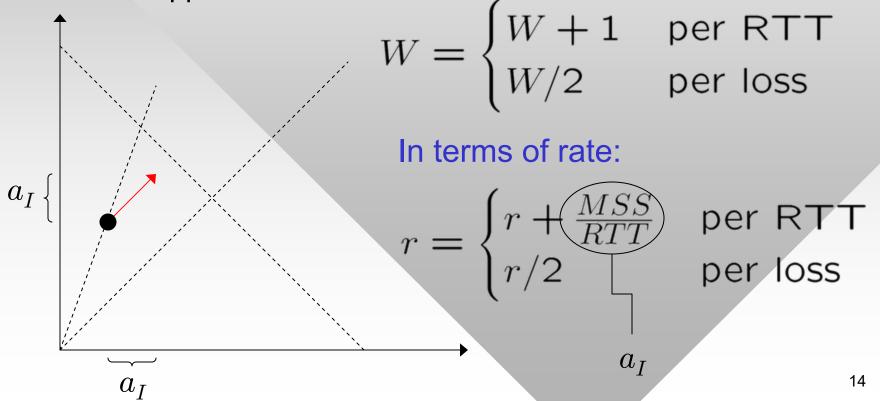
- Useful lines on this 2D plane
  - Fairness: y = x
  - Efficiency: x+y = C
  - Equi-fairness: y = mx (infinitely many, one for each m)

- Visual analysis
  - Which point(s) have packet loss?
  - Which point is more fair *A* or *C*?

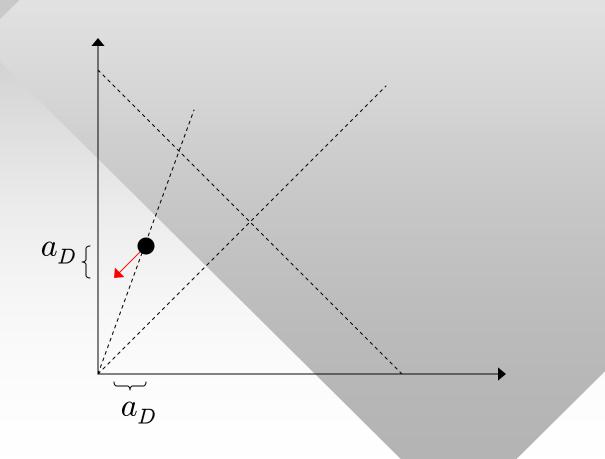


- The fairness line is where flow rates are equal
  - Hence, the goal is to converge the system to this line
- The efficiency line intersects both axes at C
  - When flows cross the efficiency line, they have loss
  - In uncongested cases, the system is below this line
- All points along the equi-fairness line have the same fairness index
  - Given initial flow rates (*x*,*y*), rates ( $\alpha x, \alpha y$ ) have the same fairness index for any  $\alpha > 0$

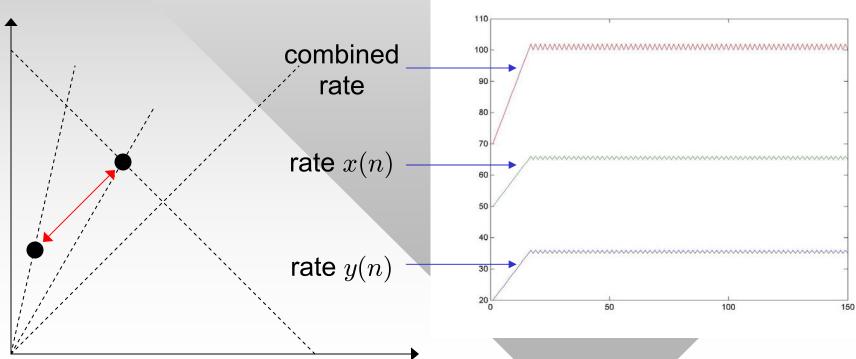
- Now examine what AIMD does (fixed MSS and RTT)
  - Start with additive increase
  - Why is this move parallel to the fairness line?
  - What happens to fairness?



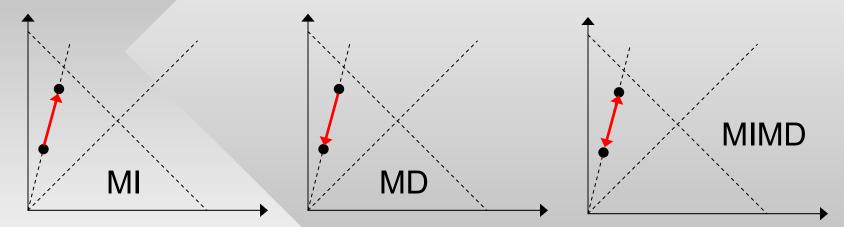
- Now consider additive decrease
  - Additive constant in the decrease step reduces fairness



- Now examine a combination of additive increase and additive decrease (AIAD):
  - The system fluctuates between two unfair states without convergence to the fairness line



 Now examine MI (multiplicative increase) and MD (multiplicative decrease)



- What happens to fairness in each case?
- MIMD moves the system along the corresponding equi-fairness line
  - Does not converge to fairness either

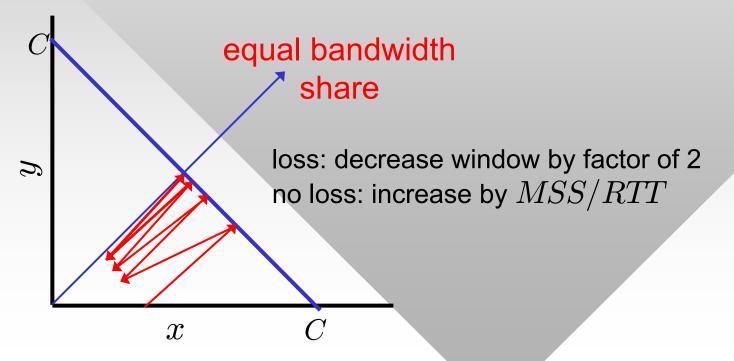
# Why Is TCP Fair?

#### Two competing sessions

- Assume initial rate y is lower, i.e., x(0) > y(0):
- First consider the additive increase (AI) step
  - New rates:
    - x(n+1) = x(n) + MSS/RTT,y(n+1) = y(n) + MSS/RTT
  - Prove that  $\Phi(n+1) > \Phi(n)$
- Multiplicative decrease (MD)
  - New rates x(n+1) = x(n)/2, y(n+1) = y(n)/2
  - Prove that  $\Phi(n+1) = \Phi(n)$

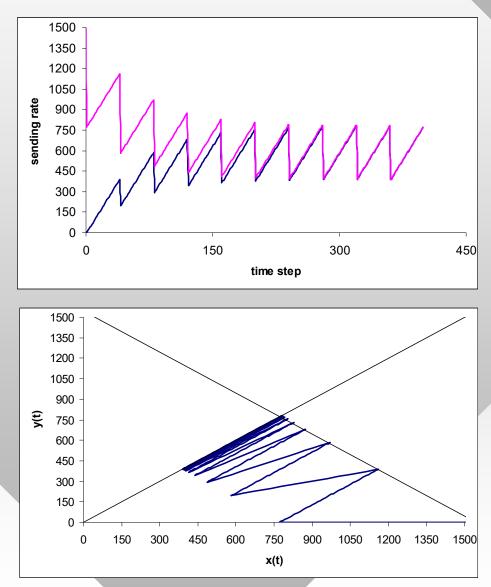
## Why Is TCP Fair?

- Fairness stays the same during MD and improves during AI, eventually converging to 1
  - Intuitive reasoning: during increase, both flows gain bandwidth at the same rate; however, during decrease, the faster flow releases more



#### Fairness Example

- AIMD example
  - C = 1544 Kbps, 2 flows
- Start in the maximally unfair state
  - x(0) = 1544, y(0) = 0
- Eventually converge to fairness
- <u>Caveat</u>: fairness in TCP is achievable only when flows have the same RTT and MSS



#### Fairness (Final Thoughts)

#### Fairness and UDP

- Multimedia apps often do not use TCP
  - Do not want rate throttled by congestion control
- Instead use UDP:
  - Pump audio/video at constant rate, tolerate packet loss
- Research area: TCPfriendly transport over UDP (e.g., QUIC)

#### Fairness and parallel TCP connections

- Nothing prevents app from opening parallel flows between 2 hosts
- Web browsers do this
- <u>Example</u>: link of rate *C* with 10 flows present:
  - New app asks for 1 TCP connection, gets rate C/11
  - New app asks for 10 TCPs, gets C/2

# **Chapter 3: Summary**

- Principles behind transport layer services:
  - Multiplexing, demultiplexing
  - Reliable data transfer
  - Flow control
  - Congestion control
- Instantiation and implementation in the Internet
  - UDP
  - TCP

#### Next:

- Leaving the network "edge" (application, transport layers)
- Into the network "core"